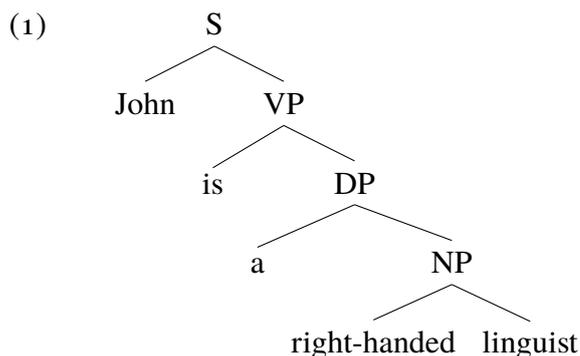


1 Computation with PM

In this exercise, assume that adjectives always denote type- $\langle e, t \rangle$ functions, e.g.

$$\llbracket \text{right-handed} \rrbracket^M = [\lambda x \in D_e. 1 \text{ iff } x \text{ is right-handed in } M]$$

- i) Indicate the semantic type of each of the constituents in the following tree, including the terminal nodes.



The lexical entries for the rest of the items are as follows.

- (2) For any model M ,
- a. $\llbracket \text{John} \rrbracket^M = \text{John}$
 - b. $\llbracket \text{linguist} \rrbracket^M = [\lambda x \in D_e. 1 \text{ iff } x \text{ is a linguist in } M]$
 - c. $\llbracket \text{is} \rrbracket^M = \llbracket \text{a} \rrbracket^M = [\lambda f \in D_{\langle e, t \rangle}. f]$

- ii) Compute the meaning of (1) with respect to M , using the lexical entries in (2) and the three compositional rules, Functional Application (FA), Non-Branching Node Rule (NN), and Predicate Modification (PM). You can do the computation bottom-up or top-down.

2 Optional: Lexical ambiguity or not?

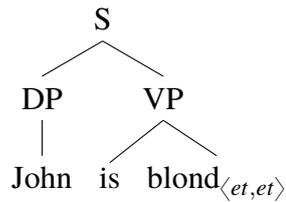
In the lecture we discussed two possible analyses of adjectival modification with *blond*. One analysis postulates two lexical entries:

- (3)
- a. $\llbracket \text{blond}_{\text{pred}} \rrbracket^M = [\lambda x \in D_e. 1 \text{ iff } x \text{ is blond in } M]$
 - b. $\llbracket \text{blond}_{\text{mod}} \rrbracket^M = [\lambda f \in D_{\langle e, t \rangle}. [\lambda x \in D_e. 1 \text{ iff } f(x) = 1 \text{ and } x \text{ is blond in } M]]$

We'll consider two possibilities to dispense with one of them.

- i) Recall that we needed the type- $\langle e, t \rangle$ denotation to account for the predicative use of *blond* as in *John is blond*. This is because we have been assuming that *is* is semantically vacuous (= it denotes an identity function).

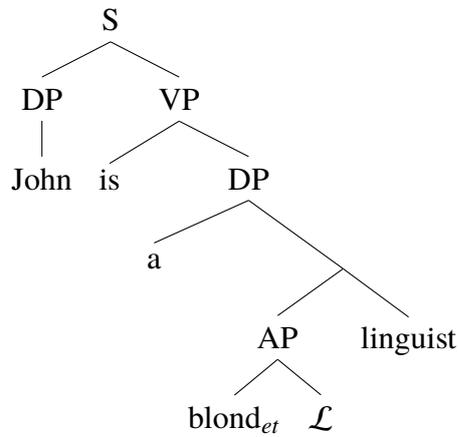
Let us assume instead that *is* is actually not semantically vacuous, and *blond* only has the $\langle et, et \rangle$ denotation (3b). In order to compute the meaning of the following tree, what should be the semantic type of $\llbracket \text{is} \rrbracket^M$?



ii) Propose the denotation of 'is' that will produce the correct denotation for the above tree.

$$\llbracket \text{is} \rrbracket^M =$$

iii) Let us now assume instead that the type- $\langle e, t \rangle$ denotation (3a) is the only denotation of *blond*. What do we do for the modification use, as in *John is a blond linguist*? Let us assume that the syntactic structure is more complex than we thought, and contains a phonologically silent linking morpheme \mathcal{L} (cf. the German data in the lecture):



The idea is that $\llbracket \mathcal{L} \rrbracket^M$ is a function that takes $\llbracket \text{blond}_{\text{pred}} \rrbracket^M$ and outputs $\llbracket \text{blond}_{\text{mod}} \rrbracket^M$. What should be the semantic type of \mathcal{L} so that the above tree can be computed?

iv) Propose the denotation of \mathcal{L} . (Needless to say, it should be usable with all adjectives, not only for *blond*).

$$\llbracket \mathcal{L} \rrbracket^M =$$