

# Rovibrational spectrum of the excited potential energy surface of He+H2 (B 1#u+)

Stavros C. FarantosJonathan Tennyson

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<sup>a)</sup> Present address: Department of Chemistry, University of Pennsylvania, Philadelphia, Pennsylvania 19104.

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## Rovibrational spectrum of the excited potential energy surface of He+H<sub>2</sub> (*B* <sup>1</sup>Σ<sub>u</sub><sup>+</sup>)

Stavros C. Farantos<sup>a)</sup>

*Theoretical and Physical Chemistry Institute, National Hellenic Research Foundation, 48 Vas. Constantinou Ave., Athens 116/35, Greece*

Jonathan Tennyson

*Science and Engineering Research Council, Daresbury Laboratory, Daresbury, Warrington WA4 4AD, England*

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Recently MRD-CI calculations on the He + H<sub>2</sub> × (*B* <sup>1</sup>Σ<sub>u</sub><sup>+</sup>) potential surface have revealed the existence of a minimum of 1.5 eV in contrast to the very shallow van der Waals minimum in ground state He + H<sub>2</sub> × (*X* <sup>1</sup>Σ<sub>g</sub><sup>+</sup>).<sup>1</sup> In the region of the minimum there is a strong interaction with the ground state and the two surfaces approach each other. These findings have led to a qualitative explanation of the strong electronic quenching of the HD(*B* <sup>1</sup>Σ<sub>u</sub><sup>+</sup>) state in collisions with He observed by Fink *et al.*<sup>2</sup>

Using *ab initio* calculations Farantos *et al.*<sup>3</sup> have produced analytical potential energy functions for the ground and the first singlet excited state of HeH<sub>2</sub>. The functions describe all nuclear configuration space and obey the symmetry of the system.

The excited surface has the minimum located at the geometry  $R_{\text{HeH}_1} = 3.57a_0$ ,  $R_{\text{HeH}_2} = 1.47a_0$  and the angle between them 103°. The symmetric minima are separated by a barrier of about 72 000 cm<sup>-1</sup>, whereas the barriers to linear structures H-He-H and H-H-He are 7300 and 13 700 cm<sup>-1</sup>, respectively. This potential has been used in quasiclassical trajectory calculations of the collisions of He with H<sub>2</sub>(*B* <sup>1</sup>Σ<sub>u</sub><sup>+</sup>).<sup>4</sup>

To our knowledge there are no first principles rovibrational calculations on an electronically excited state of a polyatomic system. Excited states present new challenges for vibrational computations because some exotic topological features may occur. Thus HeH<sub>2</sub> provides an opportunity to carry out such a study. Moreover the assign-

ment of the spectroscopic features of the HeH<sub>2</sub>(*A* <sup>1</sup>A') state may prove useful for analysing experiments on this system.

The calculations were performed with the method of Tennyson and Sutcliffe,<sup>5</sup> using program ATOMDIAT<sup>6</sup> with the extension GENPOT<sup>7</sup> to allow for a generalized potential. This method has been successfully applied to the rovibrational problem for a variety of triatomics. These range from van der Waals molecules H<sub>2</sub>Ne<sup>5</sup> and HFHe,<sup>5</sup> through the floppy KCN<sup>5</sup> and CH<sub>2</sub><sup>+</sup><sup>8</sup> systems, to more conventional molecules (with small amplitude vibrational modes) such as H<sub>3</sub><sup>+</sup> and H<sub>2</sub>D<sup>+</sup>,<sup>9</sup> and H<sub>2</sub>F<sup>+</sup> and H<sub>2</sub>Cl<sup>+</sup>.<sup>10</sup> Molecules with more than one potential minimum, such as LiCN,<sup>11</sup> have also been successfully treated. Indeed, this method which makes no *a priori* assumptions about equilibrium structure, should be particularly suitable for systems such as HeH<sub>2</sub>(*A* <sup>1</sup>A') which have multiple minima.

In this paper we present computations for the *J* = 0 and 1 levels of HeH<sub>2</sub>(*A* <sup>1</sup>A'). Test calculations were performed with both Morse oscillator-like<sup>5,6</sup> and spherical oscillator-like<sup>7,8</sup> basis functions for the He-H<sub>2</sub> stretching coordinate. As has been observed previously,<sup>9</sup> the Morse-like functions proved more efficient for this nonlinear system.

For the *J* = 0 states of HeH<sub>2</sub> we used up to 612 basis functions—6 in each stretching coordinate and 17 Legendre functions for each symmetry. That allowed us to obtain the first 10 levels converged to about 1 cm<sup>-1</sup>;

TABLE I. Vibrational levels (in  $\text{cm}^{-1}$ ) of  $\text{HeH}_2(A^1A')$ . Ground state energies are given relative to the minimum  $-12\,756\text{ cm}^{-1}$ .  $J = 1$  levels relative to  $\text{HeH}_2(0, 0, 0)$  are also shown.

$(v_1, v_2, v_3)$	Even	Odd
(0, 0, 0)	-9394.4	-9394.4
(0, 1, 0)	1161.9	1161.9
(0, 0, 1)	1438.2	1438.2
(0, 2, 0)	2291.6	2291.5
(0, 1, 1)	2575.2	2575.2
(0, 0, 2)	2813.7	2813.6
(0, 3, 0)	3410.1	3409.9
(0, 2, 1)	3699.6	3699.7
(1, 0, 0)	3868.6	3868.3
(0, 1, 2)	3922.5	3922.6

  

$J = 1$		
-1	10.09	10.09
0	43.72	43.71
1	44.46	44.43

the results are given in Table I. For the  $r$  coordinate, H-H stretch, optimized parameters<sup>6</sup> for the Morse oscillator were found to be  $r_e = 4.245a_0$ ,  $D_e = 0.40E_h$ , and  $\omega_e = 0.0070E_h$ . For the  $R$  coordinate, He-H<sub>2</sub> stretch, the parameters were  $R_e = 2.00a_0$ ,  $D_e = 0.02E_h$ , and  $\omega_e = 0.040E_h$ .

In  $\text{HeH}_2$ , the two minima, symmetric with respect to the  $C_{2v}$  axis give nearly degenerate vibrational levels which are either even or odd under interchange of two H atoms. The high barrier meant that any splitting was less than the accuracy of our calculation and any tunneling was negligible for the low-lying vibrational states.

The fundamentals  $\omega_1 = 3868.6\text{ cm}^{-1}$ ,  $\omega_2 = 1161.9$

$\text{cm}^{-1}$ , and  $\omega_3 = 1438.2\text{ cm}^{-1}$  correspond to the short HeH stretch, to the bend, and long HeH stretch, respectively. The large value of  $\omega_1$  is a reflection of the strength of the short HeH bond.  $\omega_1$  is also increased by resonance interaction with the  $2\omega_2 + \omega_3$  mode. This combined with anharmonic effects gives a zero point energy for  $\text{HeH}_2$  which is  $125\text{ cm}^{-1}$  above the harmonic value of  $1/2(\omega_1 + \omega_2 + \omega_3)$ .

From the rotationally excited state we computed the rotational constants  $A_0 = 39.04$ ,  $B_0 = 5.42$ , and  $C_0 = 4.71\text{ cm}^{-1}$ ; the molecule is a nearly prolate symmetric top ( $k = 0.96$ ).

We hope that the above spectroscopic constants will aid the experimental observation of this species.

<sup>a</sup> Permanent address: Department of Chemistry, University of Crete, Iraklion, Crete, Greece.

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## Kinetic energy dependence of ion-polar molecule collision rate constants by trajectory calculations

Timothy Su

*Department of Chemistry, Southeastern Massachusetts University, North Dartmouth, Massachusetts 02747*

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In recent years, much experimental work has been performed to examine the kinetic energy dependence of ion-molecule reactions.<sup>1</sup> In this work, while the ion-molecule relative kinetic energy is varied from near thermal energies to a few eV, the rotational energy of the reactant neutral remains at a specified temperature. Consequently, there is a growing need for a collision theory that describes the kinetic energy dependence of rate constants when the neutral remains at a given temperature. Thermal capture rate constants for ion-polar molecule collisions have been calculated recently using the trajectory

method.<sup>2,3</sup> In that study, the ion was treated as a point charge and the polar molecule as a two-dimensional rigid rotor. The interaction potential was assumed to have the form

$$V(r, \theta) = -\frac{\alpha q^2}{2r^4} - \frac{q\mu_D}{r^2} \cos \theta, \quad (1)$$

where  $\alpha$  and  $\mu_D$  are the (angle-average) polarizability and dipole moment of the neutral,  $r$  is the distance between the ion and the center of mass of the neutral,  $\theta$  is the